




# SPT Galaxy Cluster Cosmological Constraints: First Results from Mass Calibration with Velocity Dispersions

Ripples in the Cosmos - Durham - July 2013

Joseph Mohr, Sebastian Bocquet, Alex Saro, Jiayi Liu, Gurvan Bazin and Jonathan Ruel for the SPT Collaboration

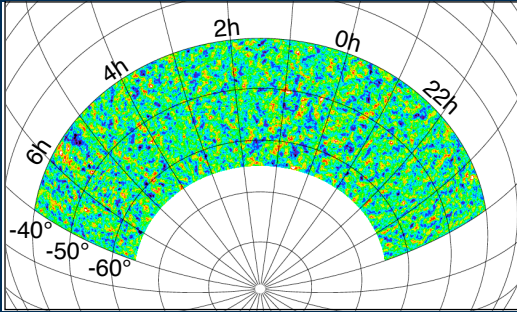


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# SPT-SZE Survey

- 2500 deg<sup>2</sup> regions  $-40 < \delta < -65$ ,  $20\text{hr} < \alpha < 7\text{hr}$
- Bolometer time stream:  $\sim 10^6$  T's/s over 4 years,  $\sim 65\%$  efficiency
- Uniform depth:  $\sigma_{150} \sim 18 \mu\text{K-amin}$ ,  $\sigma_{90} \sim 40 \mu\text{K-amin}$ ,  $\sigma_{220} \sim 60 \mu\text{K-amin}$
- Beam size:  $\text{FWHM}_{150} \sim 1.0'$ ,  $\text{FWHM}_{90} \sim 1.6'$ ,  $\text{FWHM}_{220} \sim 0.7'$



Dark Energy Survey Imaging Underway!

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## SPT Collaboration

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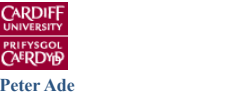
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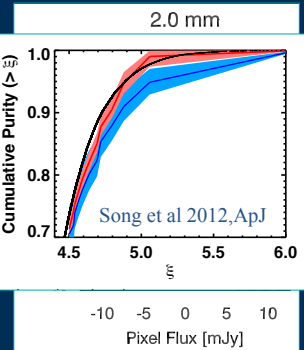
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## SPT Galaxy Cluster Selection

- Clusters selected using matched filter technique (Melin et al 2006):
  - We filter an SPT map and extract all negative sources with  $S/N > 4.5$  ( $\xi > 4.5$ )
- Contamination- unique "negative" SZE signature means contamination is due only to noise fluctuations
  - Easily calculated using Gaussian noise distribution and S/N threshold
  - Confirmed using optical followup of all cluster candidates over 750deg<sup>2</sup> (Song et al 2012)



SPT-only selection produces >95% pure sample at  $S/N > 5$   
SPT+optical followup produces  $\sim 100\%$  pure sample at  $S/N > 4.5$



# Completeness



- SPT clusters are selected by S/N or  $\xi$ - therefore to do cosmology we must understand the  $\xi$ -mass relation
- We break it into two parts:
  - $\xi$ -mass: amplitude, slope, z evolution, log-normal scatter
- Measurement noise then scatters  $\xi$  about the true  $\xi$  (normal)
- We test selection model using mock observations

$$\xi = A_{SZ} \left( \frac{M_{500}}{3 \times 10^{14} h^{-1} M_{\odot}} \right)^{B_{SZ}} \left( \frac{E(z)}{E(0.6)} \right)^{C_{SZ}}$$

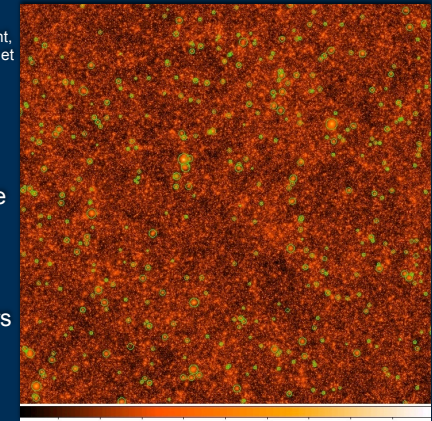


# Mock Observations



- Cosmological Hydrodynamical Sims
  - Cooling, star formation, and winds (Springel & Hernquist 02)
  - Metals, stellar population, and chemical enrichment, SNIa, SNII, AGB (Tornatore et al. 03,06; Wiersma et al. 09)
  - BH and AGN feedback (Springel & Di Matteo 06; Fabjan et al. 10)
  - Low viscosity scheme (Dolag et al. 05)
- $Y_{SZ}$  lightcones from Magneticum serve as inputs to our mocks
- Use SPT beam/noise characteristics, observe light cone and extract clusters using same matched filter tool
  - Ongoing work by Jiayi Liu

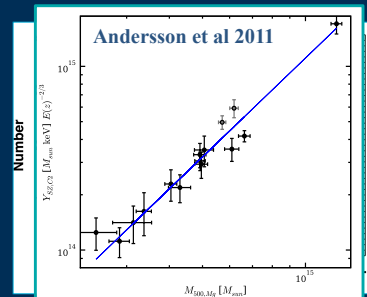
Magneticum Simulations (Klaus Dolag)



# SPT Galaxy Cluster Cosmology



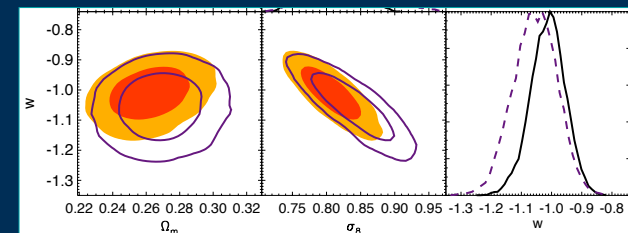
- With pure sample and model for selection, we can test cosmology
- Phase I: Vanderlinde et al 2010
  - First 21 systems, 178 deg<sup>2</sup>
  - Mass calibration from simulations
- Phase II: Reichardt et al 2012
  - 100 systems (z>0.3,  $\xi$ >5), 720 deg<sup>2</sup>
  - Mass calibration from 15 Chandra  $Y_x$ 's (Andersson et al 2011)
  - $Y_x$  masses based on hydrostatic masses measured at z~0.3



# Phase II Cosmology Constraints



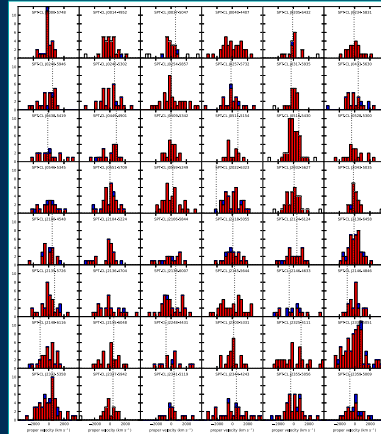
- Cosmological constraints:
  - WMAP+SNe+BAO+H0 / w/ SPT:
    - $\sigma_8 = 0.84 (0.04)$  /  $\sigma_8 = 0.81 (0.03)$
    - $w = -1.054 (0.073)$  /  $w = -1.010 (0.058)$



There is limited power in our dataset – we need more mass information.  
What can velocity dispersion mass information do for us?

## Velocity Dispersions as Mass

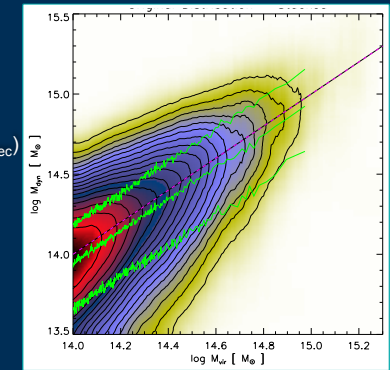
- Velocity dispersions reflect depth of the potential well
  - Expect high scatter due to merging
  - Rely on simulations for calibration- to characterize biases and scatter
- Observing program
  - Data acquisition continuing at Gemini, VLT and Magellan
  - ~60 dispersions acquired
  - Typical  $N_{\text{gal}} \sim 25$  (2 masks/cluster)
  - Use red sequence selection



Ruel, Bazin et al 2013

## Calibrating $\sigma$ -mass with Sims

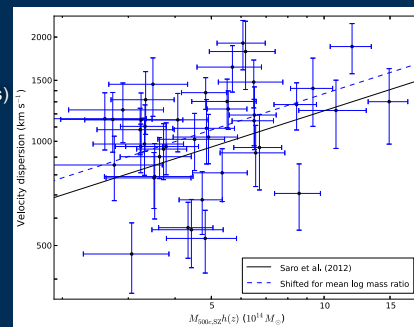
- Dispersion-Mass Relations:
  - 3D galaxies in cluster (~12%)
    - Departures from equilibrium
  - 1D galaxies in cluster (~40%)
    - Anisotropy
  - 1D color selected galaxies with velocity outlier rejection (~80%, depending on  $N_{\text{spec}}$ )
    - Interlopers
- Mock Observations
  - Model SPT dispersion program selection
  - Extract  $\sigma$ -mass relation as function of selection parameters
- Quantify imperfections in sims
  - Current results adopt 15% systematics floor in dispersion masses



Saro et al ApJ, 2013 (astro-ph/1203.5708)

## Dispersion-M( $\xi$ ) Relation

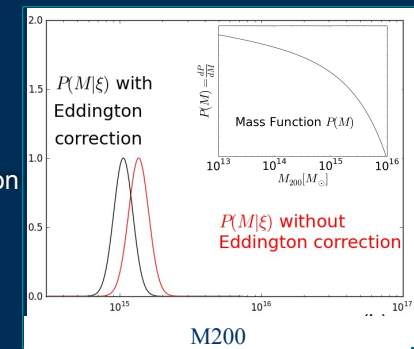
- Dispersion- $\xi$  relation shows high scatter, as expected
  - Scatter is 31% in  $\sigma$  about dotted line
  - Expectation is 27% (from Saro et al analysis)
- Solid line: expected mean relation assuming
  - $Y_x$  based SPT masses
  - Saro et al dispersion-mass relation
- Dashed line: indicates that dispersion data will push SPT masses higher
  - Proper accounting of selection biases (Eddington bias) required



Ruel, Bazin et al 2013

## Calibrating $\xi$ -mass with $\sigma$

- Selection effects can be accounted for in full likelihood analysis
- Mass calibration likelihood
  - For given choice of scaling relation params, for each cluster:
    - Use  $(\xi, z)$  to predict  $P(M|\xi, z)$ 
      - including selection effects like Eddington bias
    - Use  $P(M|\xi, z)$  to predict  $P(\sigma)$
    - Extract likelihood of consistency with observed  $\sigma$
    - $\xi$ -mass rel'n params varied to find best fit

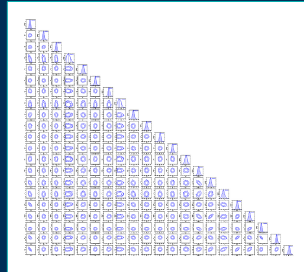




# Cosmology Runs with Dispersions



- Inputs:
  - SPT sample: 100 clusters,  $\xi > 5$ ,  $z < 0.3$
  - Mass information:
    - 48 dispersions, 16  $Y_x$  measurements
  - Mass-observables and their treatment:
    - Power law, log-normal intrinsic scatter, obs noise
    - $\xi$ -M: 4 params
    - $\sigma$ -M: 5 params (Saro et al 2013)
    - $Y_x$ -M: 4 params (Vikhlinin et al 2006)
- Cluster Likelihood:
  - Single likelihood from Counts
  - Individual likelihoods for each mass constraint
- Cosmology:
  - 5 params for cluster only ( $\Omega_m, \Omega_b, \sigma_8, n_s, H_0$ )
  - 6 params with CMB ( $\Omega_m h^2, \Omega_b h^2, \Delta_R^2, \tau, n_s, H_0$ )



Bocquet et al 2013

# New Results with Dispersions



- Dispersions change  $A_{sz}$  and  $B_{sz}$ , prefer higher  $\Omega_m$ /lower  $\sigma_8$

Run	$A_{sz}$	$B_{sz}$	$C_{sz}$	$D_{sz}$	$\Omega_m$	$\sigma_8$
SPT + $\Omega_b$ + $H_0$						
$\sigma$ 's	4.6(1.0)	1.6(0.12)	0.76(0.3)	0.22(0.12)	0.38(0.08)	0.74(0.05)
$Y_x$ (B13)	5.3(1.0)	1.3(0.15)	0.90(0.3)	0.21(0.10)	0.29(0.08)	0.77(0.06)
SPT + WMAP + BAO + SNe + $H_0$						
$\sigma$ 's	3.8(0.6)	1.5(0.12)	0.37(0.2)	0.22(0.12)	0.28(0.01)	0.81(0.02)
$Y_x$ (B13)	4.9(0.7)	1.4(0.15)	0.83(0.3)	0.21(0.09)	0.26(0.02)	0.80(0.02)

- Dispersions push the mass scale for a given SPT  $\xi$  up by +10% (+/-12%)
- CMB+BAO+SNe pushes mass scale up another +13% (+/-11%)
- Together, this ~23% increase in mass scale is a  $\sim 2\sigma$  shift
  - Probing this tension requires improved mass calibration

$$\xi = A_{sz} \left( \frac{M_{500}}{3 \times 10^{14} h^{-1} M_\odot} \right)^{B_{sz}} \left( \frac{E(z)}{E(0.6)} \right)^{C_{sz}}$$

# Consistency Test of GR

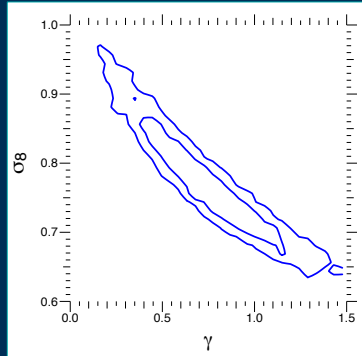


- Following Rapetti et al 2010, we introduce an additional free parameter  $\gamma$  to describe the linear growth of density perturbations:

$$\frac{d \ln \delta}{d \ln a} = \Omega_m^\gamma(a)$$

where for GR  $\gamma \sim 0.55$

- Within  $\Lambda$ CDM context with CMB+BAO+SNe+ $H_0$  external datasets, we measure  $\gamma = 0.74(0.27)$ 
  - Significant  $\gamma$ - $A_{sz}$  and  $\gamma$ - $C_{sz}$  degeneracy



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# Summary



## SPT-SZE clusters

- High mass ( $M_{200} > 4 \times 10^{14} M_\odot$ ) sample extending to  $z=1.5$

## SPT Cluster Cosmology

- Currently our cosmology is dominated by the external data
  - SPT clusters just shrink error bars a bit -  $\delta\omega \sim 0.05$
- Going beyond this requires improved mass calibration

## Dispersion Mass Calibration

- Masses no longer based on assumption that clusters are in equilibrium
- Dispersions push SPT masses up by 10% (20% with CMB++)
- SPT constraint on  $\sigma_8 (\Omega_m / 0.27)^{0.3} = 0.82$   
No tension with Planck non-cluster result 0.86

## Next Step: Include weak lensing information